## Revision Guide

AQA GSCE Triple
Physics Paper 1
Higher

Name: Class:

# Energy Stores and Systems

| Key Term | Definition                     |
|----------|--------------------------------|
| System   | An object or group of objects. |

| Energy Store               | Description   |
|----------------------------|---|
| Magnetic                   | The energy stored when attracting poles are pulled apart or when repelling poles are pushed together.                               |
| Internal                   | The total kinetic and potential energy of the particles in an object.   |
| Chemical                   | The energy stored in chemical bonds.  |
| Kinetic                    | Energy of a moving object.  |
| Electrostatic              | The energy stored when repelling charges have been moved closer together or when attracting charges have been pulled further apart. |
| Elastic Potential          | The energy stored when an object is stretched or compressed.  |
| Gravitational<br>Potential | The energy stored in an object a height.  |
| Nuclear                    | The energy stored in the nucleus of an atom.  |

#### Kinetic Energy 1

| Key Term       | Definition                 |
|----------------|----------------------------|
| Kinetic Energy | Energy of a moving object. |

| Quantity          | Symbol | Unit |
|-------------------|--------|------|
| Kinetic<br>Energy | $E_k$  | J    |
| Mass              | m      | kg   |
| Speed             | v      | m/s  |

## Equation that links kinetic energy, mass and speed.

Kinetic Energy =  $0.5 \times \text{mass} \times (\text{speed})^2$ 

| Calculate kinetic energy when      | Mass is 67kg<br>and speed is<br>5m/s            | Mass is 1.2kg<br>and speed is<br>25m/s          | Mass is 57g<br>and speed is<br>2.5m/s           | Mass is 850g<br>and speed is<br>5m/s            |
|------------------------------------|---|---|---|---|
| Convert<br>Units                   | -   | -   | 57g = 0.057kg                                   | 850g = 0.85kg                                   |
| Write down the formula to be used. | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> |
| Substitute<br>Values               | $E_k$ = 0.5 x 67 x 5 <sup>2</sup>               | $E_k$ = 0.5 x 1.2 x $25^2$                      | $E_k$ = 0.5 x 0.057 x 2.5 <sup>2</sup>          | $E_k$ = 0.5 x 0.85 x $5^2$                      |
| Do the<br>Maths                    | <i>E<sub>k</sub></i> = 837.5                    | E <sub>k</sub> = 375                            | <i>E<sub>k</sub></i> = 0.178125                 | <i>E<sub>k</sub></i> = 10.625                   |
| Round and add units.               | <i>E<sub>k</sub></i> = 837.5J                   | <i>E<sub>k</sub></i> = 375J                     | <i>E<sub>k</sub></i> = 0.19J                    | <i>E<sub>k</sub></i> = 10.6J                    |

#### Kinetic Energy 2

| Calculate<br>mass<br>when          | Speed is 5m/s<br>and K.E is 82J                 | Speed is 5m/s<br>and K.E is<br>2.5KJ            | Speed is 8m/s<br>and K.E is<br>7.1KJ            | Speed is<br>12.5m/s and<br>K.E is 17KJ          |
|------------------------------------|---|---|---|---|
| Convert<br>Units                   | -   | 2.5kJ = 2500J                                   | 7.1kJ = 7100J                                   | 17kJ = 17,000J                                  |
| Write down the formula to be used. | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> |
| Substitute<br>Values               | 82 = 0.5 x m x 5 <sup>2</sup>                   | 2500 = 0.5xmx5 <sup>2</sup>                     | 7100 = 0.5 x m x<br>8 <sup>2</sup>              | 17000= 0.5 x m x<br>12.5 <sup>2</sup>           |
| Rearrange                          | 82 = 12.5m<br>82/12.5 = m                       | 2500 = 12.5m<br>2500 / 12.5 = m                 | 7100 = 32m<br>7100/32 = m                       | 17000 = 78.125m<br>17000/78.125 = m             |
| Answer                             | 6.56  | 200   | 221.875   | 217.6   |
| Round and add units.               | m= 6.56kg                                       | m = 200kg                                       | m = 221.9kg                                     | m = 217.6kg                                     |

| Calculate<br>speed<br>when         | K.E is 82J and<br>mass is 1.2kg                 | K.E is 2.5KJ<br>and mass is<br>3kg              | K.E is 8.1kJ<br>and mass is<br>18kg             | K.E is 90J and<br>mass is 541g                          |
|------------------------------------|---|---|---|---|
| Convert<br>Units                   | -   | 2.5kJ = 2500J                                   | 8.1kJ = 8100J                                   | 541g = 0.541kg  |
| Write down the formula to be used. | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup> | <i>E<sub>k</sub></i> = 0.5 x m x v <sup>2</sup>         |
| Substitute<br>Values               | 82 = 0.5 x 1.2 x v <sup>2</sup>                 | 2500 = 0.5 x 3 x v <sup>2</sup>                 | 8100 = 0.5 x 18 x<br>v <sup>2</sup>             | 90= 0.5 x 0.541 x<br>v <sup>2</sup>                     |
| Rearrange                          | $82 = 0.6v^2$<br>$82/0.6 = v^2$                 | $2500 = 1.5v^2$ $2500 / 1.5 = v^2$              | $8100 = 9v^2$<br>$8100/9 = v^2$                 | 90 = 0.2705v <sup>2</sup><br>90/0.2705 = v <sup>2</sup> |
| Answer                             | 136.6667= v <sup>2</sup><br>v =11.6904519       | 1,666.6667= v <sup>2</sup><br>v =40.824829      | 900 = v <sup>2</sup><br>v = 30                  | 332.7171904= v <sup>2</sup><br>v=18.240537              |
| Round and add units.               | v = 11.7m/s                                     | v = 40.8m/s                                     | v = 30 m/s                                      | v = 18.2m/s   |

## Elastic Potential Energy 1

| Key Term          | Definition   |
|-------------------|--|
| Elastic Potential | The energy stored when an object is stretched or compressed. |

| Quantity                       | Symbol         | Unit |
|--------------------------------|----------------|------|
| Elastic<br>Potential<br>Energy | E <sub>e</sub> | J    |
| Spring<br>Constant             | k              | N/m  |
| Extension                      | е              | m    |

Equation that links elastic potential, extension and spring constant.

Elastic Potential Energy = 0.5 x spring constant x (extension)<sup>2</sup>

| Calculate<br>elastic<br>potential<br>energy<br>when | Spring constant is 2N/m and extension is 3.2m   | Spring constant is 7.8N/m and extension is 4.2m | Spring constant is 2N/m and extension is 38cm   | Spring constant is 122N/m and extension is 98mm |
|---|---|---|---|---|
| Convert<br>Units                                    | -   | -   | 38cm = 0.38m                                    | 98mm = 0.098m                                   |
| Write down the formula to be used.                  | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup> | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup> | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup> | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup> |
| Substitute<br>Values                                | $E_e$ = 0.5 x 2 x 3.2 <sup>2</sup>              | $E_e$ = 0.5 x 7.8 x 4.2 <sup>2</sup>            | $E_e$ = 0.5 x 2 x 0.38 <sup>2</sup>             | $E_e$ = 0.5 x 122 x 0.098 <sup>2</sup>          |
| Do the<br>Maths                                     | E <sub>e</sub> = 10.24                          | E <sub>e</sub> = 68.796                         | <i>E<sub>e</sub></i> = 0.1444                   | <i>E<sub>e</sub></i> = 0.585844                 |
| Round and add units.                                | <i>E<sub>e</sub></i> = 10.2J                    | <i>E<sub>e</sub></i> = 68.8J                    | <i>E<sub>e</sub></i> = 0.14J                    | <i>E<sub>e</sub></i> =0.585J                    |

# Elastic Potential Energy 2

| Calculate spring constant when | E.P.E is 100J<br>and extension<br>is 1.2m          | E.P.E is 100J<br>and extension<br>is 32cm            | E.P.E is 1.8kJ<br>and extension<br>is 2.8m            | E.P.E is 1.9KJ<br>and extension<br>is 92cm           |
|--------------------------------|--|--|---|--|
| Convert<br>Units               | -  | 32cm = 0.32m   | 1.8kJ = 1800J   | 1.9kJ = 1900<br>92cm = 0.92m                         |
| Write<br>down the<br>formula.  | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup>    | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup>      | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup>       | $E_e$ = 0.5 x k x e <sup>2</sup>                     |
| Substitute<br>Values           | 100 = 0.5 x k x<br>1.2 <sup>2</sup>                | 100 = 0.5 x k x<br>0.32 <sup>2</sup>                 | 1800 = 0.5 x k x<br>2.8 <sup>2</sup>                  | 1900= 0.5 x k x<br>0.92 <sup>2</sup>                 |
| Rearrange                      | 100 = 0.72k<br>100 / 0.72 = k                      | 100 = 0.0512k<br>100 / 0.0512 = k                    | 1800 = 3.92k<br>1800 / 3.92 = k                       | 1900 = 0.4232k<br>1900 / 0.4232 = k                  |
| Answer                         | 138.8888888889                                     | 1,953.125  | 459.1836734694  | 4,489.603025   |
| Round and add units.           | k= 139N/m  | k = 1953N/m  | k = 459N/m  | k = 4490N/m  |
| Calculate<br>extension<br>when | E.P.E is 100J<br>and spring<br>constant is<br>2N/m | E.P.E is 1.02kJ<br>and spring<br>constant is<br>8N/m | E.P.E is 2.8kJ<br>and spring<br>constant is<br>3.1N/m | E.P.E is 0.72kJ<br>and spring<br>constant is<br>2N/m |
| Convert<br>Units               | -  | 1.02kJ = 1020J                                       | 2.8kJ = 2800J   | 0.72kJ = 720J  |
| Write<br>down the<br>formula.  | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup>    | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup>      | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup>       | <i>E<sub>e</sub></i> = 0.5 x k x e <sup>2</sup>      |
| Substitute<br>Values           | 100 = 0.5 x 2 x e <sup>2</sup>                     | 1020 = 0.5 x 8 x e <sup>2</sup>                      | 2800 = 0.5 x 3.1 x<br>e <sup>2</sup>                  | 720= 0.5 x 2 x e <sup>2</sup>                        |
| Rearrange                      | 100 = 1e <sup>2</sup><br>100/1 = e <sup>2</sup>    | 1020 = 4e <sup>2</sup><br>1020 / 4 = e <sup>2</sup>  | $2800 = 1.55e^2$<br>$2800 / 1.55 = e^2$               | $720 = 1e^2$<br>$720/1 = e^2$                        |
| Answer                         | 100 = e <sup>2</sup><br>e = 10                     | 255= e <sup>2</sup><br>e =15.9687194                 | 1,806.451613 = e <sup>2</sup><br>e = 42.5023719       | 720 = e <sup>2</sup><br>e = 26.8328157               |
| Round and add units.           | e = 10m  | e = 16.0m  | e = 42.5m   | e = 26.8m  |

## Gravitational Potential Energy 1

| Key Term                | Definition                               |
|-------------------------|--|
| Gravitational Potential | The energy stored in an object a height. |

| Quantity                             | Symbol    | Unit |
|--------------------------------------|-----------|------|
| Gravitational<br>Potential<br>Energy | $E_{ ho}$ | J    |
| Mass                                 | т         | kg   |
| Gravitational<br>Field<br>Strength   | g         | N/kg |
| Height                               | h         | m    |

Equation that links gravitational potential energy, gravitational field strength and height.

Gravitational Potential Energy = mass x gravitational field strength x height

| Calculate<br>g.p.e<br>when         | Mass is 67kg,<br>gravitational<br>field strength is<br>9.8 and height<br>is 2.8m. | Mass is 15kg,<br>gravitational<br>field strength is<br>9.8 and height<br>is 56cm. | Mass is 525g,<br>gravitational<br>field strength is<br>9.8 and height<br>is 71m. | Mass is 871g,<br>gravitational<br>field strength is<br>9.8 and height<br>is 121cm. |
|------------------------------------|---|---|--|--|
| Convert<br>Units                   | -   | 56cm = 0.56   | 525g = 0.525kg   | 871g = 0.871kg<br>121cm = 1.21m  |
| Write down the formula to be used. | $E_p$ = m x g x h   | <i>E<sub>ρ</sub></i> = m x g x h  | <i>E<sub>ρ</sub></i> = m x g x h   | <i>E<sub>p</sub></i> = m x g x h   |
| Substitute<br>Values               | $E_p$ = 67 x 9.8 x 2.8  | $E_p$ = 15 x 9.8 x 0.56   | $E_p$ = 0.525 x 9.8 x 71   | $E_p$ = 0.871 x 9.8 x 1.21   |
| Do the<br>Maths                    | E <sub>p</sub> = 2,085.44   | $E_p$ = 82.32   | E <sub>ρ</sub> = 365.295   | E <sub>ρ</sub> = 10.328318   |
| Round and add units.               | E <sub>ρ</sub> = 2085J  | <i>E</i> <sub>ρ</sub> = 82J   | <i>E<sub>p</sub></i> = 365J  | <i>E</i> <sub>ρ</sub> =10.3J   |

# Gravitational Potential Energy 2

For each of the questions below gravitational field strength is 9.81N/kg

| Calculate<br>mass<br>when     | G.P.E is 100J<br>and height is<br>1.2m | G.P.E is 100J<br>and height is<br>32cm | G.P.E is 1.8kJ<br>and height is<br>14cm | G.P.E is 0.19KJ<br>and extension<br>is 12cm |
|-------------------------------|--|--|---|---|
| Convert<br>Units              | -                                      | 32cm = 0.32m                           | 1.8kJ = 1800J<br>14cm = 0.14m           | 0.19kJ = 190J<br>12cm = 0.12m               |
| Write<br>down the<br>formula. | <i>E<sub>p</sub></i> = m x g x h       | $E_p = m \times g \times h$            | $E_p = m \times g \times h$             | $E_p = m \times g \times h$                 |
| Substitute<br>Values          | 100 = m x 9.81 x<br>1.2                | 100 = m x 9.81 x<br>0.32               | 1800 = m x 9.81<br>x 0.14               | 190= m x 9.81 x<br>0.12                     |
| Rearrange                     | 100 = 11.772m<br>100 / 11.772 = m      | 100 = 3.1392m<br>100 / 3.1392 = m      | 1800 = 1.3734m<br>1800/1.3734 = m       | 190 = 1.1772m<br>190 / 1.1772= m            |
| Answer                        | 8.4947332654                           | 31.8552497452                          | 1,310.61598951                          | 161.3999320421                              |
| Round and add units.          | m = 8.5kg                              | m = 31.9kg                             | m = 1,311kg                             | m = 162.4kg                                 |

| Calculate<br>height<br>when   | GPE is 800J<br>and mass is<br>67kg | GPE is 2.1kJ<br>and mass is<br>93kg | GPE is 123J<br>and mass is<br>12g | GPE is 0.91kJ<br>and mass is<br>850g |
|-------------------------------|------------------------------------|-------------------------------------|-----------------------------------|--------------------------------------|
| Convert<br>Units              | -                                  | 2.1kJ = 2100J                       | 12g = 0.012kg                     | 0.91kJ = 910J<br>850g = 0.85kg       |
| Write<br>down the<br>formula. | $E_p$ = m x g x h                  | <i>E<sub>p</sub></i> = m x g x h    | $E_p = m \times g \times h$       | $E_p = m \times g \times h$          |
| Substitute<br>Values          | 800 = 67 x 9.81x h                 | 2100 =93 x9.81x h                   | 123 = 0.012 x 9.81<br>x h         | 910 = 0.85 x 9.81<br>x h             |
| Rearrange                     | 800 = 657.27h<br>800/657.27 = h    | 2100 = 912.33h<br>2100 /912.33 = h  | 123 = 0.11772h<br>123/0.11772 = h | 910 = 8.3385h<br>910/8.3385 = h      |
| Answer                        | 1.2171558112                       | 2.3017986913                        | 1,044.852191641                   | 109.1323379505                       |
| Round and add units.          | h = 1.2m                           | h = 2.3m                            | h = 1045m                         | h = 109m                             |

## Energy Changes in Systems 1

| Key Term               | Definition   |
|------------------------|--|
| Specific Heat Capacity | The amount of energy needed to raise the temperature of one kilogram of the substance by one degree Celsius. |

| Quantity                       | Symbol | Unit   |
|--------------------------------|--------|--------|
| Change in<br>Thermal<br>Energy | ΔΕ     | J      |
| Mass                           | m      | kg     |
| Specific Heat<br>Capacity      | С      | J/kg°C |
| Temperature<br>Change          | Δθ     | °C     |

Equation that links change in thermal energy, mass, specific heat capacity and temperature change.

Change in Thermal Energy = Mass x
Specific Heat Capacity

| Calculate change in thermal energy when | Mass is 67kg,<br>SHC is 2J/kg°C<br>and Δθ is 3.1°C | Mass is 15kg,<br>SHC is<br>7.1J/kg°C and<br>Δθ is 2.9°C | Mass is 525g,<br>SHC is 2J/kg°C<br>and Δθ is 17°C | Mass is 871g,<br>SHC is 2J/kg°C<br>and the<br>temperature<br>raises by 11°C |
|---|--|---|---|---|
| Convert<br>Units                        | -  | -   | 525g = 0.525kg                                    | 871g = 0.871kg  |
| Write<br>down the<br>formula.           | ΔE = m c Δθ  | ΔE = m c Δθ   | ΔE = m c Δθ                                       | ΔE = m c Δθ   |
| Substitute<br>Values                    | $\Delta E = 67 \times 2 \times 3.1$                | ΔE = 15 x 7.1 x<br>2.9                                  | ΔE = 0.525 x 2 x<br>17                            | ΔE = 0.871 x 2 x<br>11  |
| Do the<br>Maths                         | 415.4  | 308.85  | 17.85   | 19.162  |
| Round and add units.                    | ΔE = 415.4J  | ΔE = 309J   | <b>Δ</b> E = 17.9J                                | ΔE = 19.2J  |

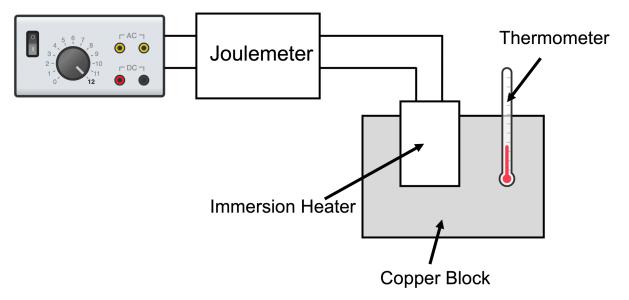
# Energy Changes in Systems 2

For each of the questions below the substance is water with a specific heat capacity of 4182J/kg°C.

| Calculate<br>mass<br>when     | $\Delta E$ is 100J and $\Delta \theta$ is 12°C | $\Delta E$ is 1.2kJ and $\Delta \theta$ is 9°C | $\Delta E$ is 0.91kJ and $\Delta \theta$ is 12°C | $\Delta E$ is 1.50kJ and $\Delta \theta$ is 17.8°C |
|-------------------------------|--|--|--|--|
| Convert<br>Units              | -  | 1.2kJ = 1200J                                  | 0.91kJ = 910J                                    | 1.5kJ = 1500J                                      |
| Write<br>down the<br>formula. | ΔE = m c Δθ                                    | ΔE = m c Δθ                                    | ΔE = m c Δθ                                      | ΔE = m c Δθ  |
| Substitute<br>Values          | 100 = m x 4182<br>x 12                         | 1200 = m x 4182<br>x 9                         | 910 = m x 4182 x<br>12                           | 1500 = m x 4182<br>x 17.8                          |
| Rearrange                     | 100 = 50,184m<br>100/50184 = m                 | 1200 = 37,638m<br>1200/37638 = m               | 1800 = 50,184m<br>1800/50184 = m                 | 1500 =74439.6m<br>1500/74439.6 = m                 |
| Answer                        | 0.001992666985                                 | 0.03188267177                                  | 0.03586800574                                    | 0.02015056502                                      |
| Round and add units.          | m = 0.00199kg                                  | m = 0.0319kg                                   | m = 0.0359kg                                     | m = 0.0202kg                                       |

| Calculate<br>temp<br>change<br>when | ∆E is 100J<br>and mass is<br>67kg. | ∆E is 120J<br>and mass is<br>31kg. | ΔE is 1.2kJ<br>and mass is<br>2kg. | ∆E is 1.8kJ<br>and mass is<br>51g.  |
|-------------------------------------|------------------------------------|------------------------------------|------------------------------------|-------------------------------------|
| Convert<br>Units                    | -                                  | -                                  | 1.2kJ = 1200J                      | 1.8kJ = 1800J<br>51g = 0.051kg      |
| Write<br>down the<br>formula.       | ΔE = m c Δθ                         |
| Substitute<br>Values                | 100 = 67 x 4182 x<br>Δθ            | 120 = 31 x 4182 x<br>Δθ            | 1200 = 2 x 4182 x<br>Δθ            | 1800 = 0.051 x<br>4182 x Δθ         |
| Rearrange                           | 100 = 280,194Δθ<br>100/280194 =Δθ  | 120 = 129,642Δθ<br>120/129642 = Δθ | 1200 = 8,364Δθ<br>1200/ 8364 = Δθ  | 1800 = 213.282Δθ<br>1800/213.282=Δθ |
| Answer                              | 0.0003568955795                    | 0.0009256259546                    | 0.143472023                        | 8.4395307621                        |
| Round and add units.                | Δθ = 0.00036°C                     | Δθ = 0.00093°C                     | Δθ = 0.14°C                        | Δθ = 8.44°C                         |

A method to determine the specific heat capacity of a material.



- 1. Measure the mass of the material by using a balance.
- 2. Add a heater to the block and connect this to a powerpack that is connected to a joulemeter.
- 3. Add a thermometer and record the start temperature.
- 4. Turn the powerpack on.
- 5. After 10 minutes turn the powerpack off, record the energy transferred and the temperature.
- Calculate specific heat capacity of the block using formula change in thermal energy = mass × specific heat capacity × temperature change
- 7. Control the material and thickness of the insulation wrapped around the block.

#### Power 1

| Key Term | Definition   |
|----------|--|
| Power    | The rate at which energy is transferred or the rate at which work is done. |

| Quantity              | Symbol | Unit |
|-----------------------|--------|------|
| Power                 | Р      | W    |
| Energy<br>Transferred | Ε      | J    |
| Time                  | t      | S    |
| Work Done             | W      | J    |

## Equation that links energy transferred, power and time.

Power = Energy Transferred / Time

### Equation that links power, time and work done.

Power = Work Done/ Time

| Calculate<br>the power<br>when | 120J of energy<br>is transferred in<br>30s | 1kJ of work is<br>done in 300s | 351J of energy<br>is transferred in<br>1 minute | 2.5kJ of work is<br>done in 10<br>minutes |
|--------------------------------|--|--------------------------------|---|---|
| Convert<br>Units               | -  | 1kJ = 1000                     | 1 minute = 60s                                  | 2.5kJ = 2500J<br>10min = 600s             |
| Write<br>down the<br>formula.  | P = E / t                                  | P = W / t                      | P = E / t                                       | P = W / t                                 |
| Substitute<br>Values           | P = 120 / 30                               | P = 1000 / 300                 | P = 351/60                                      | P = 2500 / 600                            |
| Do the<br>Maths                | 4  | 3.3333333333                   | 5.85  | 4.1666666667                              |
| Round and add units.           | 4W   | 3.3W                           | 5.85W   | 4.17W                                     |

#### Power 2

| Calculate<br>work<br>done<br>when | Power is 100W and time is 30s            | Power is 250W and time is 1min                         | Power is 1.2kW<br>and the time is<br>45s              | Power is 1.4kW<br>and the time is<br>3mins         |
|-----------------------------------|--|--|---|--|
| Convert<br>Units                  | -  | 1min = 60s   | 1.2kW = 1200W   | 1.4kW = 1400W<br>3mins = 180s                      |
| Write<br>down the<br>formula.     | P = W / t                                | P = W / t  | P = W / t   | P = W / t  |
| Substitute<br>Values              | 100 = W / 30                             | 250 = W / 60   | 1200 = W / 45   | 1400 = W / 180                                     |
| Rearrange                         | W = 100 x 30                             | W = 250 x 60   | W = 1200 x 45   | W = 1400 x 180                                     |
| Answer                            | 3000                                     | 15,000   | 54,000  | 252,000  |
| Round and add units.              | 3000J                                    | 15,000J  | 54,000J   | 252,000J   |
| Calculate<br>time<br>when         | Power is 55W<br>and work done<br>is 30J. | Power is 120W<br>and energy<br>transferred is<br>2.1kJ | Power is 85W<br>and energy<br>transferred is<br>1.2kJ | Power is 1.2kW<br>and energy<br>transferred is 1kJ |
| Convert<br>Units                  | -  | 2.1kJ = 2100J  | 1.2kJ = 1200  | 1.2kW = 1200W<br>1kJ = 1000J                       |
| Write<br>down the<br>formula.     | P = W / t                                | P = E / t  | P = E / t   | P = W / t  |
| Substitute<br>Values              | 55 = 30/t                                | 120 = 2100/t   | 85 = 1200/t   | 1200 = 1000/t                                      |
| Rearrange                         | t = 30 / 55                              | t = 2100 / 120   | t = 1200 / 85   | t = 1000 / 1200                                    |
| Answer                            | 0.5454545455                             | 17.5   | 14.1176470588   | 0.833333333  |
| Round and add units.              | 0.55s                                    | 17.5s  | 14s   | 0.83s  |

## Energy Transfers in A System

| Key Term      | Definition   |  |
|---------------|--|--|
| Wasted Energy | Energy that dissipates and is stored in a less useful way. |  |

#### Law for the conservation of energy.

The law of conservation of energy states that energy can be transferred usefully, stored or dissipated, but cannot be created or destroyed.

| Method Of Reducing Unwanted Energy Transfers | Description   |
|--|---|
| Lubrication                                  | Friction causes surfaces to heat up which causes unwanted energy transfers. Reducing friction through the use of lubrication reduces the unwanted energy transfer as the surfaces will slide over each other more smoothly. |
| Thermal Insulation                           | Examples of insulation in the home include curtains, carpets, cavity wall insulation and draught excluders. The insulation reduces the transfer of energy.  |

### Relationship between thermal conductivity and the rate of conduction.

The higher the thermal conductivity of a material the higher the rate of energy transfer by conduction across the material.

### How the rate of cooling of a building is affected by the thickness and thermal conductivity of its walls.

The thicker the insulation within a building the slower the rate of cooling. The lower the thermal conductivity of the walls the slower the rate of cooling also. Adding cavity wall insultation reduces the conductivity of the walls.

#### Thermal Insulators 1 RP

A method to investigate the effectiveness of different materials as thermal insulators.

Boil water in a kettle and add 80cm3 of this water to a 100cm3 beaker.

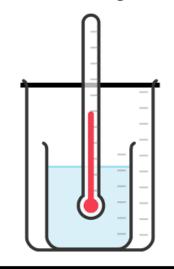


Record the start temperature.

Start the timer and record the temperature at 5, 10, 15 and 20 minutes.



Place this beaker into a larger beaker with a lid Place a thermometer through the lid.



Repeat steps 1-4 with different materials placed in the gap between the smaller and larger beaker.

Plot a cooling curve of temperature against time. Temperature (°C)

Time (min)

# Thermal Insulators 2 RP

A method to investigate the different factors that may affect the thermal insulation properties of a material.

1

Boil water in a kettle and add 200cm<sup>3</sup> of this water to a 250cm<sup>3</sup> beaker.



**3** Record the start temperature.

Start the timer and record the temperature at 5, 10, 15 and 20 minutes.

temperature against time.

Repeat steps 1-4 with different number of layers of insulation held in place with elastic bands.

Place a thermometer through

a cardboard lid.

6
Plot a cooling curve of

Temperature (°C)

Time (min)

#### Efficiency

| Key Term   | Definition   |  |
|------------|--|--|
| Efficiency | The fraction of the energy supplied which is transferred in a useful form. |  |

#### How to calculate efficiency.

Efficiency = Useful Energy Transferred / Total Energy Supplied
Or

Efficiency = Useful Power Transferred / Total Power Supplied

| Calculate<br>the<br>efficiency<br>when | A TV transfers<br>58W of the<br>75W supplied. | 1kJ of energy is<br>supplied and<br>200J of energy<br>is transferred<br>usefully. | 1.2kJ of energy<br>is supplied and<br>250J of energy<br>is transferred<br>usefully. | A hairdryer<br>transfers 71W<br>of the 211W<br>supplied. |
|--|---|---|---|--|
| Convert<br>Units                       | -   | 1kJ = 1000J   | 1.2kJ = 1200J   | -  |
| Write<br>down the<br>formula.          | Efficiency =<br>Useful/Total                  | Efficiency =<br>Useful/Total  | Efficiency =<br>Useful/Total  | Efficiency =<br>Useful/Total                             |
| Substitute<br>Values                   | Eff = 58 / 75                                 | Eff = 200 / 1000  | Eff = 250 / 1200  | Eff = 71/211   |
| Do the<br>Maths                        | 0.7733333333                                  | 0.2   | 0.2083333333  | 0.336492891  |
| Round and add units.                   | 0.77  | 0.2   | 0.21  | 0.34   |

#### Energy Resources

| Key Term         | Definition  |  |
|------------------|---|--|
| Renewable        | This is a resource that is replenished at the same rate as it is used.                                |  |
| Non-Renewable    | This is a resource that is replenished slower than the rate as which is used.                         |  |
| Fossil Fuel      | Coal, oil and natural gas that are extracted from the Earth and burned.                               |  |
| Nuclear Fuel     | Energy from atoms. Uranium is a nuclear fuel and transfers energy when the nucleus splits in two.     |  |
| Biofuel          | A fuel taken from living or recently living things. An example of a biofuel is animal waste.          |  |
| Hydroelectricity | Can be generated when rainwater collects behind a reservoir and flows downhill. This turns a turbine. |  |
| Geothermal       | Water is pumped under the Earth and turns to steam. This turns a turbine to turn a generator.         |  |

| Renewable Energy Resource  | Non-Renewable Energy Resources |
|--|--------------------------------|
| Biofuel Wind Hydroelectricity Geothermal Tidal The Sun Water Waves | Coal<br>Oil<br>Gas<br>Nuclear  |

#### Uses that we have for energy resource.

Humans have lots of uses for our energy resources. Examples of uses include transport, generating electricity and heating.

Non-Renewable Energy Resources

| Key Term      | Definition  |
|---------------|---|
| Non-Renewable | This is a resource that is replenished slower than the rate as which is used.                     |
| Fossil Fuel   | Coal, oil and natural gas that are extracted from the Earth and burned.                           |
| Nuclear Fuel  | Energy from atoms. Uranium is a nuclear fuel and transfers energy when the nucleus splits in two. |

| Energy Resource | Advantages   | Disadvantages   |
|-----------------|--|---|
| Fossil Fuels    | Very reliable.   | Produce greenhouse<br>gases which contribute<br>towards global<br>warming.  |
| Nuclear Fuel    | Very reliable. Does not produce greenhouse gases and so does not contribute towards global warming. Nuclear fuel released a large amount of energy per kg of fuel. | Produce radioactive waste which will need to be disposed of safely and correctly. Long start up time. Higher decommissioning costs. |

#### Renewable Energy Resources

| Key Term  | Definition   |  |
|-----------|--|--|
| Renewable | This is a resource that is replenished at the same rate as it is used. |  |

| <u> </u>           |  |   |  |  |
|--------------------|--|---|--|--|
| Energy<br>Resource | Advantages   | Disadvantages   |  |  |
| Biofuel            | Reliable<br>It is carbon neutral.  | Uses land that would be used for other purposes.  |  |  |
| Wind               | Don't produce greenhouse gases and so do not contribute towards global warming.          | Unreliable as when there is no wind they don't work. Visual pollution.  |  |  |
| Hydroelectricity   | Don't produce greenhouse gases and so do not contribute towards global warming.          | Affected by droughts. Large reservoirs of water needed, and habitats can be flooded to do this.               |  |  |
| Geothermal         | Reliable Don't produce greenhouse gases and so do not contribute towards global warming. | Expensive<br>Only work in certain locations.  |  |  |
| Tidal              | Reliable Don't produce greenhouse gases and so do not contribute towards global warming. | Affect river estuaries and the habitats of animals.   |  |  |
| Solar              | Don't produce greenhouse gases<br>and so do not contribute towards<br>global warming.    | I DO DOLWORK ALDIONI  |  |  |
| Water Waves        | Don't produce greenhouse gases<br>and so do not contribute towards<br>global warming.    | Can spoil the coastline and affect habitats. Affected by storms. Don't make a constant supply of electricity. |  |  |

Standard Circuit
Diagram Symbols

| Component         | Symbol       | Component  | Symbol       |
|-------------------|--------------|------------|--------------|
| Open Switch       | <b>—</b>     | LED        | <b>1</b> /1  |
| Closed Switch     |              | Lamp       |              |
| Cell              | <b>-</b>     | Fuse       |              |
| Battery           | +            | Voltmeter  | _(v)         |
| Diode             |              | Ammeter    | -(A)-        |
| Resistor          |              | Thermistor | <del>_</del> |
| Variable Resistor | <del>-</del> | LDR        |              |

# Electrical Charge 1

| Key Term         | Definition                     |
|------------------|--------------------------------|
| Electric Current | The flow of electrical charge. |

| Quantity    | Symbol | Unit |
|-------------|--------|------|
| Charge Flow | Q      | С    |
| Current     | I      | Α    |
| Time        | t      | S    |

### Equation that links charge flow, current and time.

Charge Flow = Current x Time

| Calculate<br>charge<br>flow<br>when | There is a 3A current for 30s | There is a 1.5A<br>current for<br>2mins | There is a<br>500mA current<br>for 30s | There is a 5A current for 1 minute |
|-------------------------------------|-------------------------------|---|--|------------------------------------|
| Convert<br>Units                    | -                             | 2mins = 120s                            | 500mA = 0.5A                           | 1 minute = 60s                     |
| Write<br>down the<br>formula.       | Q = I x t                     | Q = I x t                               | Q = I x t                              | Q = I x t                          |
| Substitute<br>Values                | Q = 3 x 30                    | Q = 1.5 x 120                           | Q = 0.5 x 30                           | Q = 5 x 60                         |
| Do the<br>Maths                     | 90                            | 180                                     | 15                                     | 300                                |
| Round and add units.                | 90C                           | 180C                                    | <b>15</b> C                            | 300C                               |

# Electrical Charge 2

| Calculate current when        | Charge flow is<br>125C for 12s | Charge flow is<br>0.2C for 3mins | Charge flow is<br>0.5C for 25s | Charge flow is<br>0.2C for 10mins |
|-------------------------------|--------------------------------|----------------------------------|--------------------------------|-----------------------------------|
| Convert<br>Units              | -                              | 3min = 180s                      | -                              | 10mins = 600s                     |
| Write<br>down the<br>formula. | Q = I x t                      | Q = I x t                        | Q = I x t                      | Q = I x t                         |
| Substitute<br>Values          | 125 = I / 12                   | 0.2 = I / 180                    | 0.5 = 1 / 25                   | 0.2 = 1 / 60                      |
| Rearrange                     | I = 125 x 12                   | I = 0.2 x 180                    | I = 0.5 x 25                   | I = 0.2 x 60                      |
| Answer                        | 1500                           | 36                               | 12.5                           | 12                                |
| Round and add units.          | 1500A                          | 36A                              | 12.5A                          | 12A                               |

| Calculate<br>time<br>when     | Charge flow is<br>125C and<br>current is 2A | Charge flow is<br>80C and current<br>is 4A | Charge flow is<br>900C and<br>current is<br>900mA | Charge flow is<br>450C and<br>current is<br>500mA |
|-------------------------------|---|--|---|---|
| Convert<br>Units              | -   | -  | 900mA = 0.9A                                      | 500mA = 0.5A                                      |
| Write<br>down the<br>formula. | Q = I x t                                   | Q = I x t                                  | Q = I x t   | Q = I x t   |
| Substitute<br>Values          | 125 = 2 x t                                 | 80 = 4 x t                                 | 900 = 0.9 x t                                     | 450 = 0.5 x t                                     |
| Rearrange                     | t = 125/2                                   | t = 80/4                                   | t = 900/0.9                                       | t = 450 / 0.5                                     |
| Answer                        | 62.5  | 20   | 1000  | 900   |
| Round and add units.          | 62.5s                                       | 20s  | 1000s   | 900s  |

Current, Resistance and Potential Difference 1

| Key Term         | Definition                     |
|------------------|--------------------------------|
| Electric Current | The flow of electrical charge. |

| Quantity       | Symbol | Unit |
|----------------|--------|------|
| Potential Diff | V      | V    |
| Current        | I      | Α    |
| Resistance     | R      | Ω    |

Equation that links current, potential difference and resistance.

Potential Difference = Current x Resistance

| Calculate potential difference when | Current is 3A<br>and the<br>resistance is 2Ω | Current is 1.5A<br>and resistance<br>is 10Ω | Current is 10A<br>and the<br>resistance is 2Ω | Current is<br>500mA and the<br>resistance is<br>12Ω |
|-------------------------------------|--|---|---|---|
| Convert<br>Units                    | -  | -   | 1   | 500mA = 0.5A  |
| Write<br>down the<br>formula.       | V = I x R                                    | V = I x R                                   | V = I x R                                     | V = I x R   |
| Substitute<br>Values                | V = 3 x 2                                    | V = 1.5 x 10                                | V = 10 x 2                                    | V = 0.5 x 12  |
| Do the<br>Maths                     | 6  | 15  | 15  | 300   |
| Round and add units.                | 6V   | 15V   | 20V   | 6V  |

Current, Resistance and Potential Difference 1

| Calculate<br>current<br>when  | Potential difference is 7V and resistance is 2Ω | Potential difference is 17V and resistance is 12Ω | Potential difference is 3.5V and resistance is 17Ω | Potential difference is 2V and resistance is 2Ω |
|-------------------------------|---|---|--|---|
| Convert<br>Units              | -   | -   | ı  | -   |
| Write<br>down the<br>formula. | V = I x R                                       | V = I x R   | V = I x R  | V = I x R                                       |
| Substitute<br>Values          | 7 = I x 2                                       | 17 = I x 12                                       | 3.5 = I x 17                                       | 2 = I x 2                                       |
| Rearrange                     | I = 7/2   | I = 17/12   | I = 3.5/17   | I = 2/2   |
| Answer                        | 3.5   | 1.4166666667                                      | 0.2058823529                                       | 1   |
| Round and add units.          | 3.5A  | 1.4A  | 0.21A  | 1A  |

| Calculate<br>resistance<br>when | Potential<br>difference is 7V<br>and current is 2A | Potential<br>difference is 17V<br>and current is<br>3.5A | Potential<br>difference is 12V<br>and current is<br>750mA | Potential<br>difference is 7V<br>and current is<br>200mA |
|---------------------------------|--|--|---|--|
| Convert<br>Units                | -  | 1  | 750mA = 0.75A   | 200mA = 0.2A   |
| Write<br>down the<br>formula.   | V = I x R  | V = I x R  | V = I x R   | V = I x R  |
| Substitute<br>Values            | 7 = 2 x R  | 17 = 3.5 x R   | 12 = 0.75 x R   | 7 = 0.2 x R  |
| Rearrange                       | R = 7/2  | R = 17 / 3.5   | R = 12 / 0.75   | R = 7 / 0.2  |
| Answer                          | 3.5  | 4.8571428571   | 16  | 35   |
| Round and add units.            | 3.5Ω   | 4.86Ω  | 16Ω   | 35Ω  |

Resistance of a Wire RP

A method to investigate the relationship between the length of a wire and its resistance.

1

Set up equipment as shown in the diagram.

2

Place the crocodile clips 10cm apart on the length of wire.

3.

Record the current and voltage.

4

Calculate resistance using the formula:

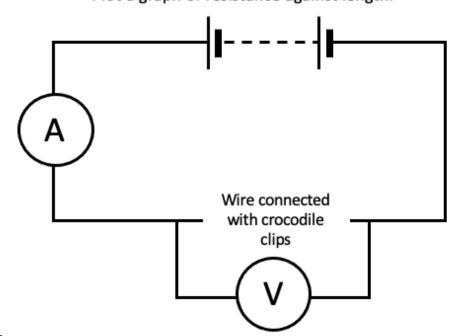
Resistance = Potential Different / Current

5.

Repeat for different lengths of wire at 10cm intervals.

6.

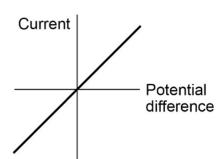
Plot a graph of resistance against length.



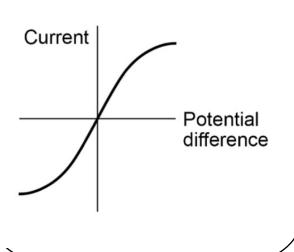
#### Resistors

Relationship between current and potential difference through an ohmic conductor. Construct an I-V graph to model this.

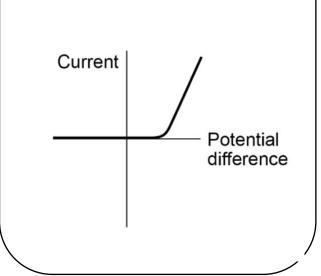
The current through an ohmic conductor (at a constant temperature) is directly proportional to the potential difference across the resistor. This means that the resistance remains constant as the current changes.



#### I-V graph for a filament lamp.



#### I-V graph for a diode.



| Component  | Description of when Resistance Changes                                 | Use                                    |
|------------|--|--|
| Thermistor | The resistance of a thermistor decreases as the temperature increases. | Thermostats                            |
| LDR        | The resistance of an LDR decreases as light intensity increases        | Switching lights on when it gets dark. |

I-V Characteristics
1 RP

A method to investigate the IV Characteristics of a resistor.

#### 1

Set up equipment as shown in the diagram.

#### 2

Record the current and voltage.

#### 3

Adjust the variable resistor 4 more times recording the new current and voltage each time.

#### 4

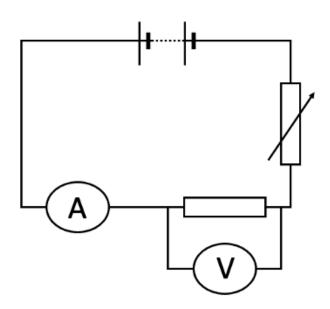
Swap the leads on the battery so that the reading on the ammeter and voltmeter is negative.

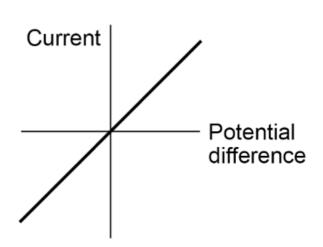
#### 5

Record the current and voltage 5 times adjusting the variable resistor between each reading.

#### 6

Plot a graph of current against potential difference.





I-V Characteristics 2 RP

A method to investigate the IV Characteristics of a filament lamp.

1

Set up equipment as shown in the diagram.

2

Record the current and voltage.

3

Adjust the variable resistor 4 more times recording the new current and voltage each time.

4

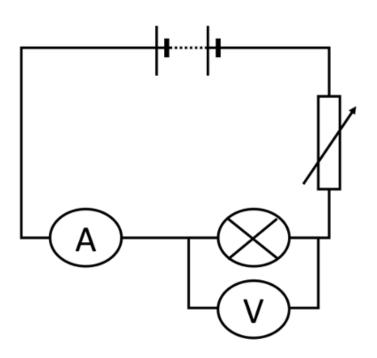
Swap the leads on the battery so that the reading on the ammeter and voltmeter is negative.

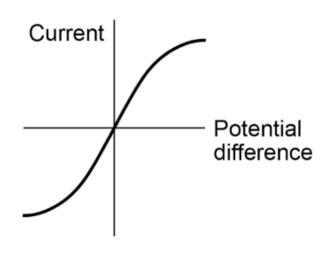
5

Record the current and voltage 5 times adjusting the variable resistor between each reading.

6

Plot a graph of current against potential difference.





I-V Characteristics
3 RP

A method to investigate the IV Characteristics of a diode.

1

Set up equipment as shown in the diagram with a battery no higher than 5V.

2

Record the current and voltage.

3

Adjust the variable resistor 4 more times recording the new current and voltage each time.

4

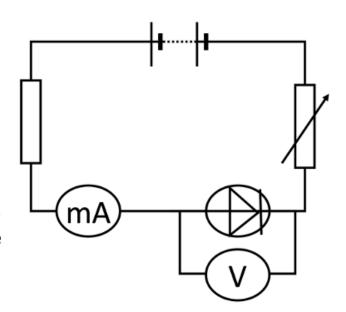
Swap the leads on the battery so that the reading on the ammeter and voltmeter is negative.

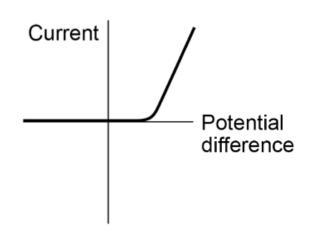
5

Record the current and voltage 5 times adjusting the variable resistor between each reading.

6

Plot a graph of current against potential difference.





# Series and Parallel Circuits

| Circuit                             | Series  | Parallel   |
|-------------------------------------|---|--|
| Description                         | A circuit where one component follows directly from another   | A circuit with branches so that the current divides and only part of it flows through any branch.  |
| Diagram                             |   |  |
| Current Through The Component       | The current through each component is the same.   | The total current supplied is split between the components on different loops.   |
| Potential Difference and Components | The total potential difference of the power supply is shared between the components.                        | The potential difference of each component is the same.  |
| Resistance and Components           | The total resistance of the circuit is the sum of the resistance of the components. $R_{total} = R_1 + R_2$ | The total resistance of two resistors is less than the resistance of the smallest individual resistor. The total resistance of the circuit is reduced as the current can follow multiple paths |

# Direct and Alternating Current

| Key Term            | Definition                                  | Example of Source                        |
|---------------------|---|--|
| Direct Current      | A current that passes in the same direction | Current produced by cells and batteries. |
| Alternating Current | A current that changes direction.           | Current in the national grid.            |

#### Frequency and voltage of mains electricity.

Within the UK the domestic electricity supply has a frequency of 50Hz and a voltage of 230V.

#### Difference between direct and alternating potential difference.

A direct potential difference travels in the same direction, while an alternating potential difference is constantly changing direction. Within the Uk's domestic electricity supply the current changes 50 times every second.

| Wire         | Colour                      | Description   | Potential<br>Difference |
|--------------|-----------------------------|---|-------------------------|
| Live Wire    | Brown                       | Carries the alternating potential difference from the supply. | 230V                    |
| Neutral Wire | Blue                        | Completes the circuit.  | OV (or close to)        |
| Earth Wire   | Green and Yellow<br>Stripes | Safety wire to stop<br>the appliance<br>becoming live.        | 0V                      |

#### Why a live wire may be dangerous even when a switch is open.

A live wire may be dangerous even when a switch is open. This is because if the circuit were to be accidently complete then there would be a large potential difference. This large potential difference could then cause electrocution.

#### Why it is dangerous if a live wire and earth wire are connected.

A live wire and earth wire should not be connected together. This is because if they were to touch there would be a complete circuit from the live circuit to the ground. This can cause shocks or fires.

| Key Term | Definition   |
|----------|--|
| Power    | The rate at which energy is transferred or the rate at which work is done. |

| Quantity       | Symbol | Unit |
|----------------|--------|------|
| Potential Diff | V      | V    |
| Current        | I      | А    |
| Resistance     | R      | Ω    |
| Power          | Р      | W    |

Equation that links current, potential difference and power

Power = Potential Difference x Current

Equation that links current, power and resistance.

Power = Current<sup>2</sup> x Resistance

| Calculate<br>power<br>when    | Current is 3A<br>and the P.D is<br>2V | Current is 1.5A<br>and resistance<br>is 10Ω | Current is<br>100mA and the<br>P.D is 12V | Current is<br>500mA and the<br>resistance is<br>12Ω |
|-------------------------------|---------------------------------------|---|---|---|
| Convert<br>Units              | -                                     | -   | 100mA = 0.1A                              | 500mA = 0.5A  |
| Write<br>down the<br>formula. | P=V x I                               | $P = I^2 \times R$                          | P=V x I                                   | $P = I^2 \times R$                                  |
| Substitute<br>Values          | P = 2 x 3                             | P = 1.5 <sup>2</sup> x 10                   | P = 12 x 0.1                              | P = 0.5 <sup>2</sup> x 12                           |
| Do the<br>Maths               | 6                                     | P = 2.25 x 10 =<br>22.5                     | 1.2                                       | P = 0.25 x 12 = 3                                   |
| Round and add units.          | 6W                                    | 22.5W                                       | 1.2W                                      | 3W  |

#### Power 4

| Calculate<br>P.D<br>when      | Power is 25W and current is 5A | Power is 0.25kW<br>and current is<br>40A | Power is 2W and current is 750mA | Power is 0.75kW<br>and current is<br>10A |
|-------------------------------|--------------------------------|--|----------------------------------|--|
| Convert<br>Units              | -                              | 0.25kW = 250W                            | 750mA = 0.75A                    | 0.75kW = 750W                            |
| Write<br>down the<br>formula. | P = V x I                      | P = V x I                                | P = V x I                        | P = V x I                                |
| Substitute<br>Values          | 25 = 5V                        | 250 = 40V                                | 2 = 0.75V                        | 750 = 10V                                |
| Rearrange                     | V = 25/5                       | V = 250 / 40                             | V = 2 / 0.75                     | V = 750/10                               |
| Answer                        | 5                              | 6.25                                     | 2.6666666667                     | 75                                       |
| Round and add units.          | 5V                             | 6.25V                                    | 2.7V                             | 75V                                      |

| Calculate<br>current<br>when  | Potential<br>difference is 7V<br>and power is<br>75W | Power is 100W<br>and resistance is<br>5Ω      | Power is 2.8KW and resistance is 10Ω | Power is 3.2KW and resistance is 25Ω             |
|-------------------------------|--|---|--------------------------------------|--|
| Convert<br>Units              | -  | -   | 2.8KW = 2800W                        | 3.2KW = 3200W                                    |
| Write<br>down the<br>formula. | P = V x I  | $P = I^2 \times R$                            | $P = I^2 \times R$                   | $P = I^2 \times R$                               |
| Substitute<br>Values          | 75 = 7 I   | 100 = I <sup>2</sup> x 5                      | 2800 = I <sup>2</sup> x 10           | 3200 = I <sup>2</sup> x 25                       |
| Rearrange                     | I = 75/7   | I <sup>2</sup> = 100/5<br>I <sup>2</sup> = 20 | $I^2 = 2800 / 10$<br>$I^2 = 280$     | I <sup>2</sup> = 3200/25<br>I <sup>2</sup> = 128 |
| Answer                        | 10.7142857143  | 4.47213596                                    | 16.7332005                           | 11.3137085                                       |
| Round and add units.          | 10.7A  | 4.5A  | 16.7A                                | 11.3A  |

# Energy Transfers in Appliances 1

| Key Term             | Definition   |
|----------------------|--|
| Electrical Appliance | A device that is designed to bring about energy transfers. |

| Quantity              | Symbol | Unit |
|-----------------------|--------|------|
| Potential Diff        | V      | V    |
| Energy<br>Transferred | E      | J    |
| Time                  | t      | S    |
| Power                 | Р      | W    |
| Charge Flow           | Q      | С    |

Equation that links energy transferred, power and time.

Energy Transferred = Power x Time

Equation that links charge flow, energy transferred and potential difference

Energy Transferred = Charge Flow x P.D

| Calculate<br>energy<br>transferr-<br>ed when | Power is 60W and times is 3s. | Charge flow is<br>12C and<br>potential<br>difference is 3V | Power is 12W and the time is 1 minute. | Charge flow is<br>25C and<br>potential<br>difference is<br>1.5V |
|--|-------------------------------|--|--|---|
| Convert<br>Units                             | -                             | 1  | 1min = 60s                             | -   |
| Write<br>down the<br>formula.                | E = P x t                     | E = Q x V  | E = P x t                              | E = Q x V   |
| Substitute<br>Values                         | E = 60 x 3                    | E = 12 x 3   | E = 12 x 60                            | E = 25 x 1.5  |
| Do the<br>Maths                              | 180                           | 36   | 84                                     | 37.5  |
| Round and add units.                         | 180J                          | 36J  | 84J                                    | 37.5J   |

# Energy Transfers in Appliances 2

| Calculate<br>power<br>when    | 120J of energy is<br>transferred in<br>30s | 225J of energy is<br>transferred in 2<br>mins | 1.8kJ of energy<br>is transferred in<br>45s | 2.5kJ of energy<br>is transferred in<br>10min |
|-------------------------------|--|---|---|---|
| Convert<br>Units              | -  | 2mins = 120s                                  | 1.8kJ = 1800J                               | 2.5kJ = 2500J<br>10min = 600s                 |
| Write<br>down the<br>formula. | E = P x t                                  | E = P x t                                     | E = P x t                                   | E = P x t                                     |
| Substitute<br>Values          | 120 = 30 P                                 | 225 = 120 P                                   | 1800 = 45 P                                 | 2500 = 600 P                                  |
| Rearrange                     | P = 120/30                                 | P = 225/120                                   | P = 1800 / 45                               | P = 2500 / 600                                |
| Answer                        | 4  | 1.875   | 40  | 4.1666666667                                  |
| Round and add units.          | 4W   | 1.88W   | 40W   | 4.2W  |

| Calculate<br>P.D<br>when      | Charge flow is<br>30C and 120J of<br>energy is<br>transferred. | Charge flow is<br>44C and 1.95kJ<br>of energy is<br>transferred. | Charge flow is<br>12C and 44J of<br>energy is<br>transferred. | Charge flow is<br>120C and 2.5kJ<br>of energy is<br>transferred. |
|-------------------------------|--|--|---|--|
| Convert<br>Units              | -  | 1.95kJ = 1950J   | -   | 2.5kJ = 2500   |
| Write<br>down the<br>formula. | E = Q x V  | E = Q x V  | E = Q x V   | E = Q x V  |
| Substitute<br>Values          | 120 = 30 V   | 1950 = 44 V  | 44 = 12 V   | 2500 = 120 V   |
| Rearrange                     | V = 120/30   | V = 1950/44  | V = 44 / 12   | V = 2500 / 120   |
| Answer                        | 4  | 44.3181818182  | 3.6666666667  | 20.833333333   |
| Round and add units.          | 4V   | 44.3V  | 3.7V  | 20.8V  |

### **National Grid**

| Key Term              | Definition   |
|-----------------------|--|
| National Grid         | A system of cables and transformers linking power stations to consumers. |
| Step-Up Transformer   | A transformer that increases the voltage of the ac supply.               |
| Step-Down Transformer | A transformer that decreases the voltage of the ac supply.               |

#### How transfers are used in the National Grid.

Step-up transformers are used to increase the potential difference from the power station to the transmission cables. This decreases the current and reduces the thermal transfer to the surroundings from the transmission cables. Then step-down transformers are used to decrease the potential difference. This lowers the potential different to a much lower safer value so that it can be used domestically.

### Static Charge

| Key Term          | Definition  |
|-------------------|---|
| Non-Contact Force | A force exerted between two objects, even when they are not touching. |
| Repel             | Objects that will push apart because of a force between them.         |
| Attract           | Objects that will come together because of a force between them.      |

#### How insulating materials become electrically charged.

When certain insulating materials are rubbed against each other they become electrically charged. Negatively charged electrons are rubbed off one material and on to the other. The material that gains electrons becomes negatively charged. The material that loses electrons is left with an equal positive charge.

## What happens when two electrically charged objects are brought close together.

When two electrically charged objects are brought close together, they exert a force on each other. Two objects that carry the same type of charge repel. Two objects that carry different types of charge attract. Attraction and repulsion between two charged objects are examples of non-contact force.

## Evidence that charged objects exert forces on when another when not in contact.

Examples of evidence include using a charged balloon to pick up pieces of paper. Another example is hanging two rods of plastic ,that have been rubbed with a cloth, with a piece of string and suspending them close to each other.

### **Electric Field**

| Key Term               | Definition   |
|------------------------|--|
| Electric Field         | An area surrounding an electric charge that may influence other charged particles.   |
| Van de Graaf Generator | A machine that causes friction between a rubber belt and plastic rollers in order to build up electrical charge on a metal dome. |

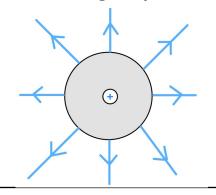
## What happens to the strength of an electric field when you move away from the object.

A charged object creates an electric field around itself. The electric field is strongest close to the charged object. The further away from the charged object, the weaker the field.

## What happens when you place a charged object inside of an electric field.

When you place a charged object within a field the object experiences a force. The closer the object is to the object that has created the electric field the stronger the force is.

A diagram to show the electric field pattern for an isolated charged sphere.



# Why someone may receive an electric shock when they touch a metal tap.

There is a potential difference between the person and the object they have touched. This causes electrons to transfer from the person, the charge is earthed, and the person experiences a shock.

# Density of Materials 1

| Key Term | Definition  |
|----------|---|
| Density  | How closely packed the particles are in a material. |

| Quantity | Symbol | Unit  |
|----------|--------|-------|
| Density  | ρ      | kg/m³ |
| Mass     | m      | kg    |
| Volume   | V      | m³    |

Equation that links density, mass and volume.

Density = Mass / Volume

| Calculate<br>density<br>when  | Mass is 2kg and volume is 3m <sup>3</sup> | Mass is 150g<br>and volume is<br>0.1m <sup>3</sup> | Mass is 1kg and volume is 0.2m <sup>3</sup> | Mass is 1500g<br>and volume is<br>0.12m <sup>3</sup> |
|-------------------------------|---|--|---|--|
| Convert<br>Units              | -   | 150g = 0.15kg                                      | -   | 1500g = 1.5kg  |
| Write<br>down the<br>formula. | ρ = m / V                                 | ρ = m / V  | ρ = m / V                                   | ρ = m / V  |
| Substitute<br>Values          | ρ = 2 / 3                                 | ρ = 0.15 / 0.1                                     | ρ = 1 / 0.2                                 | ρ = 1.5 / 0.12                                       |
| Do the<br>Maths               | 0.6666666667                              | 1.5  | 5   | 12.5   |
| Round and add units.          | 0.67kg/m <sup>3</sup>                     | 1.5kg/m³   | 5kg/m³                                      | 12.5kg/m³  |

# Density of Materials 2

| Calculate<br>mass<br>when  | There is 0.1m <sup>3</sup> of<br>a material with a<br>density of<br>1.5kg/m <sup>3</sup> | There is 0.2m <sup>3</sup> of<br>a material with a<br>density of<br>4kg/m <sup>3</sup> | There is 0.005m <sup>3</sup> of a material with a density of 3.7kg/m <sup>3</sup> | There is 0.001m <sup>3</sup> of a material with a density of 17kg/m <sup>3</sup> |
|--|--|--|---|--|
| Convert<br>Units   | -  | -  | -   | -  |
| Write<br>down the<br>formula.  | ρ = m / V  | ρ = m / V  | ρ = m / V   | ρ = m / V  |
| Substitute<br>Values   | 1.5 = m / 0.1  | 4 = m / 0.2  | 3.7 = m / 0.005   | 17 = m / 0.001   |
| Rearrange  | m = 1.5 x 0.1  | m = 4 x 0.2  | m = 3.7 x 0.005   | m = 17 x 0.001   |
| Answer   | 0.15   | 0.8  | 0.018   | 0.017  |
| Round and add units.   | 0.15kg   | 0.8kg  | 0.018kg   | 0.017kg  |
|  |  |  |   |  |
| Calculate<br>volume<br>when  | There is 37kg of<br>a material with a<br>density of<br>1.5kg/m <sup>3</sup>              | There is 250g of<br>a material with a<br>density of<br>17kg/m <sup>3</sup>             | There is 5g of a<br>material with a<br>density of<br>2.8kg/m <sup>3</sup>         | There is 1800g<br>of a material<br>with a density of<br>0.8kg/m <sup>3</sup>     |
| volume   | a material with a density of   | a material with a density of   | material with a density of  | of a material with a density of  |
| volume<br>when   | a material with a density of   | a material with a<br>density of<br>17kg/m <sup>3</sup>                                 | material with a density of 2.8kg/m <sup>3</sup>                                   | of a material with a density of 0.8kg/m <sup>3</sup>                             |
| volume when  Convert Units  Write down the                             | a material with a<br>density of<br>1.5kg/m <sup>3</sup>                                  | a material with a<br>density of<br>17kg/m <sup>3</sup><br>250g = 0.250kg               | material with a density of 2.8kg/m <sup>3</sup> 5g = 0.005kg                      | of a material with a density of 0.8kg/m <sup>3</sup> 1800g = 1.8kg               |
| volume when  Convert Units  Write down the formula.  Substitute        | a material with a density of 1.5kg/m³ - $\rho = m / V$                                   | a material with a density of 17kg/m <sup>3</sup> 250g = 0.250kg $\rho = m / V$         | material with a density of 2.8kg/m³ $5g = 0.005kg$ $\rho = m / V$                 | of a material with a density of 0.8kg/m³  1800g = 1.8kg  ρ = m / V               |
| volume when  Convert Units  Write down the formula.  Substitute Values | a material with a density of 1.5kg/m <sup>3</sup> -  ρ = m / V  37 = 1.5 / V             | a material with a density of 17kg/m³ 250g = 0.250kg                                    | material with a density of 2.8kg/m³ 5g = 0.005kg ρ = m / V                        | of a material with a density of 0.8kg/m³ 1800g = 1.8kg                           |

Determining Density 1 RP

A method to determine the density of a regular shaped object.

| Finding<br>Volume      | Measure the length height and width of the object.  Multiply these values together to calculate volume | Richard Registration of the Control |
|------------------------|--|---|
| Finding<br>Mass        | Measure the mass of the object using a balance.  | O/ TARE 0.00 g  |
| Determining<br>Density | Divide the mass by the<br>volume to calculate<br>density.  | Density = Mass /<br>Volume  |

Determining Density 2 RP

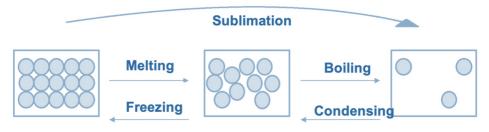
A method to determine the density of an irregular shaped object.

| Finding<br>Mass      | Add the object to the can.  Measure and record the volume displaced into the measuring cylinder.  Measure the mass of the object using a balance. | O, TARE 0.00 g             |
|----------------------|---|----------------------------|
| Determini<br>Density | Divide the mass by the volume to calculate density.   | Density = Mass /<br>Volume |

# Changes of State

| Key Term  | Definition   |
|-----------|--|
| Melt      | A change in state in which a solid becomes a liquid.       |
| Freeze    | A change in state in which a liquid becomes a solid.       |
| Boil      | A change in state in which a liquid becomes a gas.         |
| Evaporate | When particles on the surface of a liquid turn into a gas. |
| Condense  | A change in state in which a gas becomes a liquid.         |
| Sublimate | A change in state in which a solid becomes a gas.          |

### A diagram to model state changes.



### What happens to mass when an object changes state.

When an object changes state mass is conserved. This means the object/material will have the same mass before and after the change of state.

### Comparing state changes and chemical changes.

During a physical change there is nothing new made, while there is in a chemical change. A physical change can be reversed, and the material will recover its original properties. This is not possible for a chemical change.

### Internal Energy

| Key Term        | Definition  |
|-----------------|---|
| Internal Energy | The energy stored inside a system by the particles that make up the system. |

#### Internal energy of a system.

The total internal energy that makes up a system is all the total kinetic energy and potential of all the particles that make up that system.

### What happens when a system is heated.

When a system is heated the energy stored within the system increases because the particles in the system have more energy. This will cause the temperature of the system to increase. If the temperature reaches the melting or boiling point, then there will be a change in state.

## Energy Changes in Systems 3

| Key Term               | Definition   |
|------------------------|--|
| Specific Heat Capacity | The amount of energy needed to raise the temperature of one kilogram of the substance by one degree Celsius. |

| Quantity                       | Symbol | Unit   |
|--------------------------------|--------|--------|
| Change in<br>Thermal<br>Energy | ΔΕ     | J      |
| Mass                           | т      | kg     |
| Specific Heat<br>Capacity      | С      | J/kg°C |
| Temperature<br>Change          | Δθ     | °C     |

Equation that links change in thermal energy, mass, specific heat capacity and temperature change.

Change in Thermal Energy = Mass x
Specific Heat Capacity

| Calculate change in thermal energy when | Mass is 17kg,<br>SHC is 3J/kg°C<br>and Δθ is 2.1°C | Mass is 15kg,<br>SHC is<br>7.1J/kg°C and<br>Δθ is 3.8°C | Mass is 425g,<br>SHC is 3J/kg°C<br>and Δθ is 21°C | Mass is 831g,<br>SHC is 3J/kg°C<br>and the<br>temperature<br>raises by 0.1°C |
|---|--|---|---|--|
| Convert<br>Units                        | -  | -   | 425g = 0.425kg                                    | 831g = 0.831kg   |
| Write<br>down the<br>formula.           | ΔE = m c Δθ  | ΔE = m c Δθ   | ΔE = m c Δθ                                       | ΔE = m c Δθ  |
| Substitute<br>Values                    | ΔE = 17 x 3 x 2.1                                  | ΔE = 15 x 7.1 x<br>3.8                                  | ΔE = 0.425 x 3 x<br>21                            | ΔE = 0.831 x 3 x<br>0.1  |
| Do the<br>Maths                         | 107.1  | 404.7   | 26.775  | 0.2493   |
| Round and add units.                    | ∆E = 107.1J  | ΔE = 404.7J   | ΔE = 26.8J  | ΔE = 0.249J  |

## Energy Changes in Systems 4

For each of the questions below the substance is aluminium with a specific heat capacity of 900J/kg°C.

| Calculate<br>mass<br>when   | $\Delta E$ is 100J<br>and $\Delta \theta$ is<br>15°C  | $\Delta$ E is 1.4kJ and $\Delta\theta$ is 9°C  | ⊿E is 0.72kJ<br>and ⊿θ is<br>12°C   | $\Delta$ E is 1.50kJ and $\Delta\theta$ is 17.8°C   |
|---|---|--|---|---|
| Convert<br>Units  | -   | 1.4kJ = 1400J  | 0.72kJ = 720J   | 1.5kJ = 1500J   |
| Write<br>down the<br>formula.   | ΔE = m c Δθ   | ΔE = m c Δθ  | ΔE = m c Δθ   | ΔE = m c Δθ   |
| Substitute<br>Values  | 100 = m x 900 x<br>15   | 1400 = m x 900<br>x 9  | 720 = m x 900 x<br>12   | 1500 = m x 900x<br>17.8   |
| Rearrange   | 100 = 13,500m<br>100/13,500 = m   | 1400 = 8100m<br>1400/8100 = m  | 720 = 10,800m<br>720/10800 = m  | 1500 =16020m<br>1500/16020 = m  |
| Answer  | 0.007407407407  | 0.1728395062   | 0.06666666667   | 0.0936329588  |
| Round and add units.  | m = 0.0074kg  | m = 0. 17kg  | m = 0.067kg   | m = 0.094kg   |
|   |   |  |   |   |
| Calculate<br>temp<br>change<br>when   | ∆E is 100J<br>and mass is<br>7kg.   | ΔE is 1120J<br>and mass is<br>3.1kg.   | ΔE is 2.8kJ<br>and mass is<br>2.1kg.  | ∆E is 1.8kJ<br>and mass is<br>51g.  |
| temp<br>change  | and mass is   | and mass is  | and mass is   | and mass is   |
| temp<br>change<br>when  | and mass is   | and mass is  | and mass is 2.1kg.  | and mass is<br>51g.<br>1.8kJ = 1800J  |
| temp change when Convert Units Write down the                               | and mass is<br>7kg.   | and mass is<br>3.1kg.  | and mass is<br>2.1kg.<br>2.8kJ = 2800J  | and mass is<br>51g.<br>1.8kJ = 1800J<br>51g = 0.051kg   |
| temp change when  Convert Units  Write down the formula.  Substitute        | and mass is 7kg. $-$ $\Delta E = m c \Delta \theta$   | and mass is 3.1kg.  - $\Delta E = m c \Delta \theta$ 120 = 3.1 x 900 x   | and mass is 2.1kg. $2.8kJ = 2800J$ $\Delta E = m c \Delta \theta$ $2800 = 2.1 \times 900 \times 10^{-2}$                                  | and mass is 51g.  1.8kJ = 1800J 51g = 0.051kg $\Delta E = m c \Delta \theta$ 1800 = 0.051 x   |
| temp change when  Convert Units  Write down the formula.  Substitute Values | and mass is 7kg. $-\frac{\Delta E = m c \Delta \theta}{100 = 7 \times 900 \times \Delta \theta}$ $100 = 6300 \Delta \theta$ | and mass is 3.1kg.  - $\Delta E = m c \Delta \theta$ $120 = 3.1 \times 900 \times \Delta \theta$ $1120 = 2790 \Delta \theta$ | and mass is 2.1kg. $2.8kJ = 2800J$ $\Delta E = m c \Delta \theta$ $2800 = 2.1 \times 900 \times \Delta \theta$ $2800 = 1890\Delta \theta$ | and mass is 51g.  1.8kJ = 1800J 51g = 0.051kg $\Delta E = m c \Delta \theta$ 1800 = 0.051 x 900 x $\Delta \theta$ 1800 = 45.9 $\Delta \theta$ |

## Change in State and SLH 1

| Key Term                             | Definition  |
|--------------------------------------|---|
| Latent Heat                          | The energy needed for a substance to change state.  |
| Specific Latent Heat                 | The amount of energy needed to change the state of one kilogram of the substance with no change in temperature. |
| Specific Latent Heat of Fusion       | The energy needed to change state from a solid to a liquid.   |
| Specific Latent Heat of Vaporisation | The energy needed to change state from a liquid to a vapour.  |

| Quantity                | Symbol | Unit |
|-------------------------|--------|------|
| Energy                  | Ε      | J    |
| Mass                    | т      | kg   |
| Specific<br>Latent Heat | L      | J/kg |

Equation that links energy for a change in state, mass and specific latent heat.

Energy for a Change in State = Mass x Specific Latent Heat

| Calculate the energy to change state when | There is 0.5kg of<br>a material with a<br>specific latent<br>heat of 2J/kg | There is 2.8kg of<br>a material with a<br>specific latent<br>heat of 5J/kg | There is 500g of<br>a material with a<br>specific latent<br>heat of 1021J/kg | There is 52g of a<br>material with a<br>specific latent<br>heat of 980J/kg |
|---|--|--|--|--|
| Convert<br>Units                          | -  | -  | 500g = 0.500kg   | 52g = 0.0052kg   |
| Write<br>down the<br>formula.             | E = m x L  | E = m x L  | E = m x L  | E = m x L  |
| Substitute<br>Values                      | E = 0.5 x 2  | E = 2.8 x 5  | E = 0.5 x 1021   | E = 0.0052 x 980   |
| Do the<br>Maths                           | 1  | 14   | 510.5  | 5.096  |
| Round and add units.                      | E = 1J   | E = 14J  | E = 510.5J   | E = 5.10J  |

## Change in State and SLH 2

For each of the questions below the substance is aluminium with a specific heat capacity of 900J/kg°C.

| Calculate<br>mass<br>when     | Energy is<br>100J and SLH<br>is 900J/kg | Energy is 1kJ<br>and SLH is<br>1081J/kg | Energy is<br>100J and SLH<br>is 820J/kg | Energy is<br>7.8kJ and SLH<br>is 501J/kg |
|-------------------------------|---|---|---|--|
| Convert<br>Units              | -                                       | 1kJ = 1000J                             | -                                       | 7.8kJ = 7800J                            |
| Write<br>down the<br>formula. | E = m x L                               | E = m x L                               | E = m x L                               | E = m x L                                |
| Substitute<br>Values          | 100 = 900 m                             | 1000 = 1081 m                           | 100 = 820 m                             | 7800 = 501 m                             |
| Rearrange                     | m = 100 / 900                           | m = 1000 / 1081                         | m = 100 / 820                           | m = 7800 / 501                           |
| Answer                        | 0.1111111111                            | 0.9250693802                            | 0.1219512195                            | 15.5688622754                            |
| Round and add units.          | m = 0.11kg                              | m = 0. 925kg                            | m = 0.12kg                              | m = 15.6kg                               |

| Calculate<br>SLH<br>when      | The energy<br>suppled is<br>1200J and the<br>mass is 2kg. | The energy suppled is 5.5kJ and the mass is 2.2kg. | The energy suppled is 700J and the mass is 55g. | The energy suppled is 3kJ and the mass is 250g. |
|-------------------------------|---|--|---|---|
| Convert<br>Units              | -   | 5.5kJ = 5500J                                      | 55g = 0.005g                                    | 3kJ = 3000J<br>250g = 0.25kg                    |
| Write<br>down the<br>formula. | E = m x L   | E = m x L  | E = m x L                                       | E = m x L                                       |
| Substitute<br>Values          | 1200 = 2 L  | 5500 = 2.2 L                                       | 700 = 0.005 L                                   | 3000 = 0.25 L                                   |
| Rearrange                     | L = 1200 / 2  | L = 5500 / 2.2                                     | L = 7 / 0.005                                   | L = 3000 / 0.25                                 |
| Answer                        | 600   | 2500   | 140,000   | 12000   |
| Round and add units.          | 600J/kg   | 2,500J/kg  | 140,000J/kg                                     | 12,000J/kg                                      |

Particle Motion in Gases

How the motion of the molecules in a gas is related to its temperature and pressure.

The molecules of a gas are in constant random motion. The temperature of the gas is related to the average kinetic energy of the molecules. This means that the greater the temperature, the more kinetic energy the gas particles will have and so the particles will move faster. Under high pressure the particles are much closer together and so collisions between the particles is much more frequent.

Relationship between the temperature of a gas and its pressure at a constant volume.

If you were to change the temperature of a gas, at a constant volume, this will change the pressure exerted by the gas. At higher temperatures the gas particles will have more kinetic energy. This means that they will move faster and there will be more frequent collisions with the container walls. This causes the force on the container walls to increase and so pressure increases.

How increasing the volume in which a gas is contained, at a constant temperature, can lead to a decrease in pressure.

When the volume in which a gas is contained is increased there is more space between the particles. There are fewer collisions between the particles and the container. Overall there is a smaller net force at right angles to the wall of the gas container and so pressure decreases.

| Quantity | Symbol | Unit           |
|----------|--------|----------------|
| Pressure | р      | Pa             |
| Volume   | V      | m <sup>3</sup> |

Equation for a fixed mass of gas held at a constant temperature.

Pressure x Volume = Constant

| Calculate the pressure when                  | The pressure is<br>100,000Pa in 0.03m <sup>3</sup><br>and volume is<br>decreased to 0.025m <sup>3</sup> | The pressure is 2kPa<br>in 0.003m³ and<br>volume is increased<br>to 0.025m³ | The pressure is<br>18.8kPa in 2m³ and<br>pressure is decreased<br>to 0.5m³ |
|--|---|---|--|
| Convert Units                                | -   | 2kPa = 2000Pa   | 18.8kPa = 18,800Pa   |
| Write down the formula.                      | p x V = constant  | p x V = constant  | p x V = constant   |
| Substitute Values to Determine Constant      | Constant = 100,000 x<br>0.03 = 3000   | Constant = 2000 x<br>0.003 = 6  | Constant = 18,800 x 2<br>= 37,600  |
| Substitute<br>Values to Find<br>New Pressure | p x 0.025 = 3000  | p x 0.025 = 6   | p x 0.5 = 37,600   |
| Rearrange                                    | p = 3000 / 0.025  | p = 6 / 0.025   | p = 37,600 / 0.5   |
| Answer                                       | p = 120,000   | p = 240   | p = 75,200   |
| Round and add units.                         | p = 120,000Pa   | p = 240Pa   | p = 75,200Pa   |

Increasing the Pressure of a Gas

| Key Term | Definition                        |
|----------|-----------------------------------|
| Work     | The transfer of energy by a force |

#### What happens when work is done on a gas.

When work is done on a gas there is an increase in the internal energy of the gas. This can cause an increase in the temperature of the gas.

## Why when temperature is increased the pressure within a container increases

When temperature is higher particles will have more kinetic energy and so there are more collisions between the particles and the walls of the container. A greater force is also exerted in these collisions and so there is a greater force exerted in the same area. This means that the pressure increases.

## Why the pressure inside a container increases when a gas is compressed.

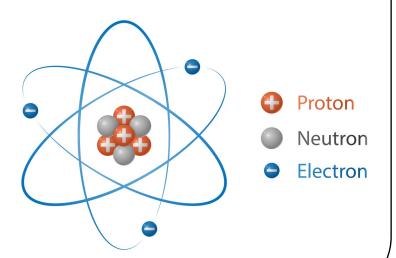
As the gas is compressed the volume of the gas decreases. This means that there are more frequent collisions between the particles and the container wall. Each particle collision with the wall exerts a force and so there is a greater force on the walls.

# Structure of an Atom

| Radius of an Atom          | 0.1nm or 1x10 <sup>-10</sup> m                            |
|----------------------------|---|
| Radius of an Atoms Nucleus | $1/10,000$ of the size of the atom or $1\times10^{-14}$ m |

### The basic structure of an atom and construct a diagram.

The basic structure of an atom is a positively charged nucleus composed of both protons and neutrons surrounded by negatively charged electrons.



## How the electron arrangements may change when radiation is absorbed.

The electrons are arranged at different distances from the nucleus and are found in different energy levels. The electron arrangements may change with the absorption of electromagnetic radiation. When radiation is absorbed, electrons will move into a higher energy level and move further from the nucleus. Electromagnetic radiation is emitted from an atom when electrons move down to a lower energy level.

Mass Number, Atomic Number and Isotopes

| Key Term      | Definition  |
|---------------|---|
| Mass Number   | The total number of protons and neutrons in an atom.  |
| Atomic Number | The number of protons in an atom.   |
| Isotope       | Atoms with the same atomic number but different mass number due to having a different number of neutrons. |

| Particle | Relative<br>Charge | Relative<br>Mass |
|----------|--------------------|------------------|
| Proton   | +1                 | 1                |
| Neutron  | 0                  | 1                |
| Electron | -1                 | Tiny             |

## What determines the element an atom is.

The proton number determines the element that an atom is.

#### Why atoms are neutral.

Atoms are neutral because the number of positive protons is equal to the number of negative electrons the atom has.

How to calculate the numbers of protons neutrons and electrons when given the atomic number and mass number.

To determine the number of protons an element has identify the atomic number. The atomic number will also tell you how many electrons the atom has. To calculate the number of neutrons an atom has deduct the atomic number away from the mass number.

Development of the Model of the Atom

### Comparing the plum pudding and nuclear model of the atom.

The plum pudding model suggested that the atom is a ball of positive charge with negative electrons embedded in it. The nuclear model also had a positively charged nucleus, however the negative electrons orbit the nucleus within the nuclear model. In the plum pudding model the nucleus is very large and the atom is one solid ball of mass, however in the nuclear model the nucleus is very small and most of the atom is empty space. Neutrons are not present in either model.

## Explaining how the scattering experiment led to a change in the atomic model.

In the experiment alpha particles were fired at a thin sheet of gold. Most of the alpha particles passed straight through which led to the conclusion that most of the atom was empty space. A very small amount of particles were reflected back which led to the conclusion that the mass of the atom must be concentrated at the centre. Some of the positive alpha particles were also deflected which led to the conclusion that the nucleus must also be positive.

Radioactive Decay and Nuclear Radiation

| Key Term          | Definition  |
|-------------------|---|
| Radioactive Decay | The random process in which the nucleus gives out radiations as it changes to become more stable. |
| Activity          | The rate at which a source of unstable nuclei decays. It is measured in becquerels.               |
| Count Rate        | The number of decays recorded each second by a detector.  |

| Radiation | Symbol | Description   | Range                  | Penetrating<br>Power   | Ionising<br>Power   |
|-----------|--------|---|------------------------|--|---|
| Alpha     | α      | A particle that consists of two neutrons and two protons. It is the same as helium nucleus. | 3-5cm                  | Least<br>penetrating.<br>Absorbed by<br>the skin and a<br>sheet of paper.      | Most<br>ionising.   |
| Beta      | β      | A high-speed electron that is ejected from the nucleus as a neutron turns into a proton.    | 15cm                   | Can penetrate<br>air and paper.<br>Stopped by a<br>thin sheet of<br>aluminium. | More<br>ionising than<br>gamma, less<br>ionising than<br>alpha. |
| Gamma     | γ      | Electromagnetic<br>radiation from<br>the nucleus.   | Large<br>Distanc<br>es | Most<br>penetrating.<br>Can be stopped<br>by thick lead or<br>concrete.        | Least<br>ionising   |

# Nuclear Equations

| Type of Radiation | Description    | Symbol To Use In Nuclear Equations |
|-------------------|----------------|------------------------------------|
| Alpha             | Helium nucleus | <sup>4</sup> He                    |
| Beta              | An electron    | °e                                 |

Nuclear equation to model the alpha decay of radon-219.

$$^{219}_{86}$$
Radon  $\rightarrow$   $^{215}_{84}$  Polonium +  $^{4}_{2}$  He

Nuclear equation to model the beta decay of carbon-14

Carbon 
$$\rightarrow$$
 14 Nitrogen + 0 e

### Comparing alpha and beta decay.

Both alpha and beta decay form a new element. However, alpha decay produces an element that has 2 fewer neutrons and protons, while beta decay forms a new element that has one more proton and one fewer neutron. This means that in alpha decay the overall mass number of the element will decrease, while in beta decay the mass number will remain the same. In alpha decay the atomic number will decrease by one, while in beta decay the atomic number will increase by one.

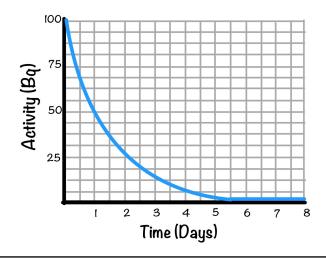
### Half Life

| Key Term          | Definition  |
|-------------------|---|
| Radioactive Decay | The random process in which the nucleus gives out radiations as it changes to become more stable.   |
| Half Life         | The time it takes for the number of nuclei of the isotope in a sample to halve, or the time it takes for the count rate from a sample containing the isotope to fall to half its initial level. |

### Determining half life.

To determine the half life of a radioactive sample during its decay graph you would identify the original activity rate at day 0. You would half this activity number and draw a horizontal line to the curve. You would then draw a vertical line down from the curve and read off the the number of days.

A graph to model a substance that has a half life of 1 day with a start activity of 100 Bq



## Radioactive Contamination

| Key Term                  | Definition  |
|---------------------------|---|
| Radioactive Contamination | The unwanted presence of materials containing radioactive atoms on other materials. |
| Irradiation               | The process of exposing an object to nuclear radiation.                             |

## Explaining the importance of peer review when studying the effects of radiation.

It is important for the the findings of studies into the effects of radiation on humans to be published and shared with other scientists so that the findings can be checked by peer review. This will prevent false claims.

|   | Contamination   | Irradiation  |
|---|---|--|
| When It Occurs  | Occurs when the radioactive source is on or in the object.                                    | Occurs when an object is exposed to a source of radiation outside the object.  |
| Does It Cause The<br>Object To Become<br>Radioactive? | A contaminated object will be radioactive for as long as the source is on or in it.           | The object will not become radioactive itself.   |
| Stopping/Blocking<br>Radiation.                       | Once an object is contaminated it can become very difficult to remove or block the radiation. | Can be protected from irradiation by moving away from the radioactive source of can be blocked with the use of a shield. As soon as the source of radiation is removed the irradiating effect stops. |

### Background Radiation

| Key Term             | Definition   |
|----------------------|--|
| Background Radiation | Radiation this is around us all of the time. It comes from natural and man-made sources. |

| Source of Radiation | Example(s)  |
|---------------------|---|
| Natural Sources     | Rocks and cosmic rays from space.                           |
| Man-Made Sources    | Fallout from nuclear weapons testing and nuclear accidents. |

What the level of background radiation and radiation dose may be affected by.

Occupation and/or location

What radiation does is measured in.

Sieverts (Sv)

How to convert between millisieverts and sieverts.

1000 millisieverts (mSv) = 1 sievert (Sv)

To convert from **millisieverts** into **sieverts** <u>divide</u> by 1000. To convert from **sieverts** into **millisieverts** <u>multiply</u> by 1000.

Uses of Nuclear Radiation

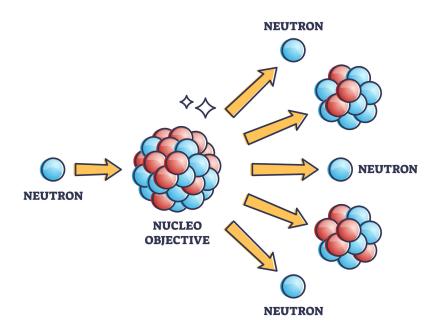
| Use of<br>Nuclear<br>Radiation                     | Description   | Properties of Radiation<br>Used  | Disadvantages  |
|--|---|--|--|
| Exploration of<br>Internal<br>Organs               | We can use radioactive sources as tracers to make soft tissues show up through medical imaging. We typically use isotopes that emit gamma rays which easily pass through the body to a detector on the outside of the body. | Radiation should be gamma rays so that they can pass through the body and be detected. They should have a short half life (of hours) so that after a few days there ill be little radioactive material left in the person. It should be low ionising so not to damage cells. | Risk that cells could be<br>damaged which would<br>cause cancer. |
| Control or<br>Destruction of<br>Unwanted<br>Tissue | Beams of Gamma rays can be used to kill cancerous tumour cells. The gamma rays are aimed at the tumour from different directions.   | Radiation should be<br>gamma rays so that they<br>can pass through the body.   | Healthy cells can also be<br>damaged.                            |

| Key Term        | Definition                                    |
|-----------------|---|
| Nuclear Fission | The splitting of a large and unstable nucleus |

### What happens during nuclear fission.

For fission to occur the unstable nucleus absorbs a neutron. The nucleus undergoing fission splits into two smaller nuclei, roughly equal in size and emits three neutrons plus gamma rays. Energy is released by the fission reaction. All of the fission products have kinetic energy. The neutrons may go on to start a chain reaction. This is controlled in a nuclear reactor, however, the explosion caused by a nuclear weapon is caused by an uncontrolled chain reaction.

### A diagram to model nuclear fission



**Nuclear Fusion** 

| Key Term       | Definition  |
|----------------|---|
| Nuclear Fusion | The joining of two light nuclei to form heavier nucleus. In the process some of the mass may be converted into the energy of radiation. |

